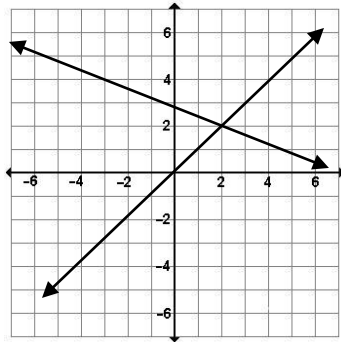


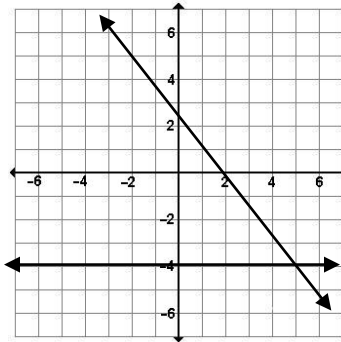
INTRODUCTION TO LINEAR SYSTEMS

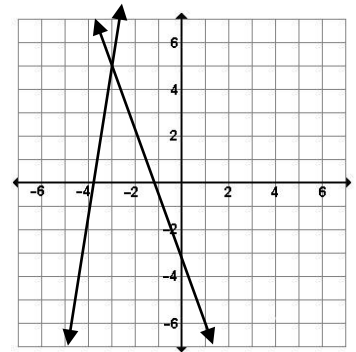
Some problems are solved by graphing linear equations on the Cartesian Plane and finding where they cross (i.e., finding the point of intersection).

The **point of intersection** is called the **solution of a linear system of equations**.

State the solution of each of the following linear systems:







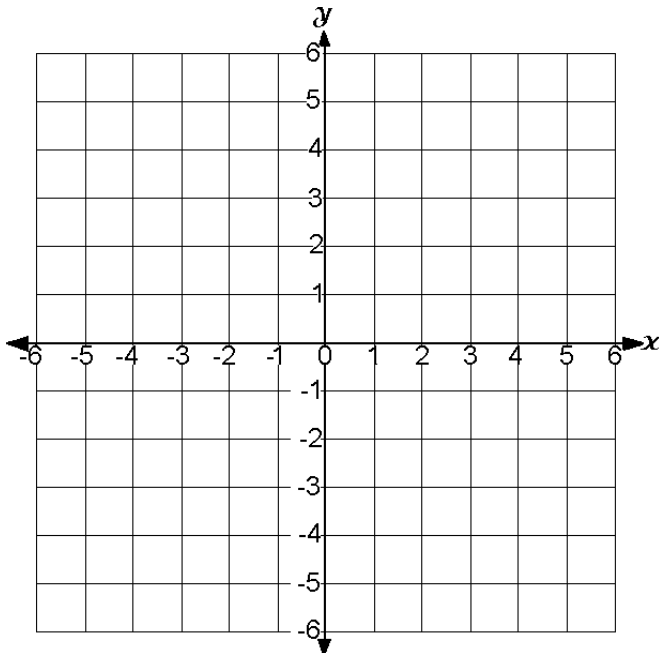
EXAMPLE: Solve the following linear system:

Both the Girl Guides and Boy Scouts are hiking through Algonquin Park.

The Girl Guides are travelling in a direction that is represented by the equation $y = 2x + 3$.

The Boy Scouts are travelling in a direction that is represented by the equation $y = -x - 3$.

Find the coordinates of the point where their paths will cross.



Step 1: Plot both equations on the graph.

Step 2: Find the point of intersection.

SOLVING LINEAR SYSTEMS BY GRAPHING

A **linear system** is represented by _____.

The **Point of Intersection** (_____) of the two lines is the _____ of a linear system of equations.

The **POI** _____ will make each equation _____ when the (____, ____) values are _____ into each equation.

You can **CHECK** to see if your solution is correct by _____ the solution back into your equations to see if the _____ of the equation equals the _____.

There are several ways to find the solution to a linear system of equations.

1) By _____

2) By _____

3) By _____

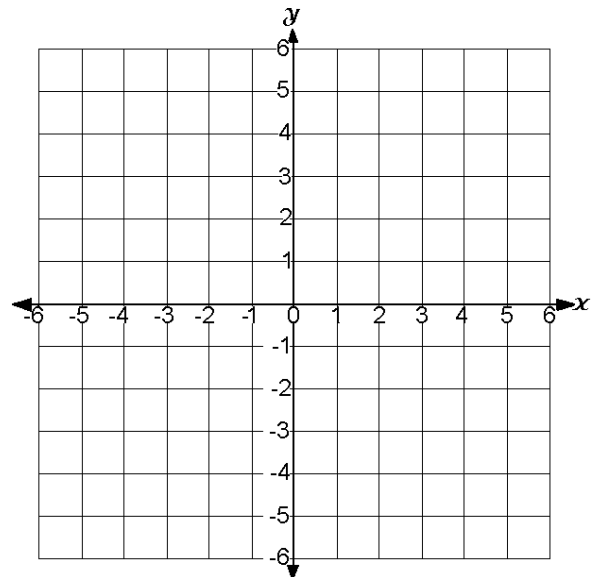
Let's begin with GRAPHING

Solve each linear system graphically.

Remember to rearrange the equations, if necessary, into the $y = mx + b$ form first.

Example 1

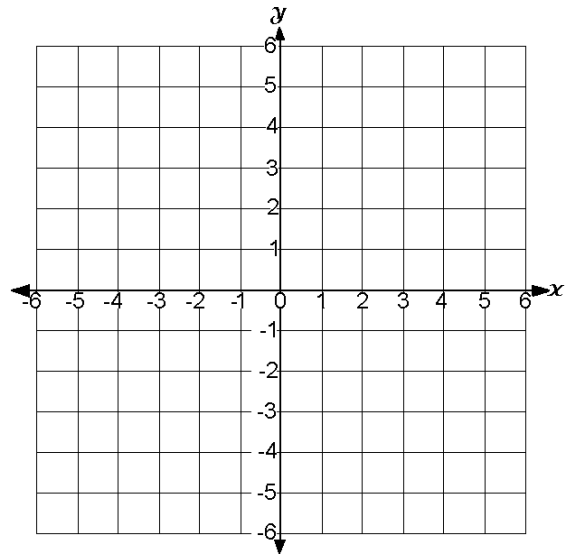
$$x + y = 6 \quad \text{and} \quad 2x - y = 0$$



Check:

Example 2

$$y = x + 3 \quad \text{and} \quad 3x + y + 1 = 0$$

Check:**Example 3**

$$2y - 3x = 12 \quad \text{and} \quad -x + 4y = 4$$

Check: